

# SocioAware Agents – Better Agents?

Frank Schweitzer

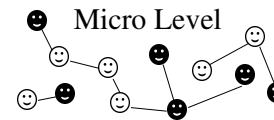
f.schweitzer@ethz.ch

*Distinguished Lecture at 1st International Workshop on  
Socio-Aware Networked Computing Systems*



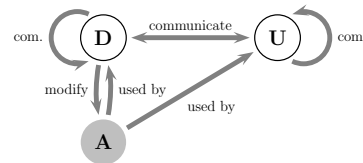
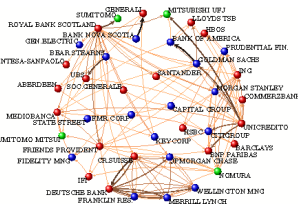
## Theory of Complex Systems

- system comprised of a *large* number of *strongly* interacting (similar) subsystems (entities, processes, or 'agents')
- examples: brain, insect societies, *sensor networks*, *P2P networks* ...
- **challenge:** The micro-macro link
  - How are the properties of the elements and their interactions ("microscopic" level) related to the dynamics and the properties of the whole system ("macroscopic" level)?



## Chair of Systems Design at ETH Zurich

- **Main Research Areas**
  - **Economic Networks & Social Organizations**
    - e.g. ownership networks, R&D networks, financial networks, ...
    - e.g. online communities, OSS projects, animal societies, ...



- **Methodological Approach: Data Driven Modeling**
  - **economic databases:** ORBIS, Bloomberg, patent databases
  - **online data:** user interaction, communication records, blogs

## Collective Interaction

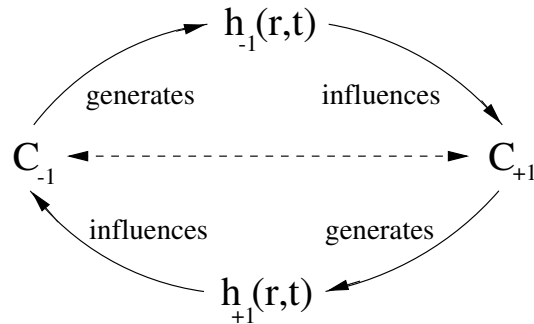
*What happens if we connect a large number of simple units?*

- **systems dynamics:** cannot be simply inferred from the behavior of the components
- collective phenomena  $\Rightarrow$  *emergence of new systems qualities*
  - spontaneous creation, development and differentiation of new structures
  - examples: traffic jams, panics, swarm intelligence

*"Self-Organization is the process by which individual subunits achieve, through their cooperative interactions, states characterized by new, emergent properties transcending the properties of their constitutive parts."*

## Interaction as communication

- **direct communication**
  - interaction as directed information transfer between two agents
  - uni- or bidirectional, time bound, different weights
- **indirect communication**
  - interaction via medium (“blackboard”, mean field)
  - medium with restricted access, finite lifetime



## Selforganization works!

- solution is “created” (distributed problem solving)
- *agents generate* relevant information
  - new kind of information: **success**  $\Rightarrow$  gets amplified
  - different links compete for agent’s maintainence  $\Rightarrow$  ensures *adaptivity* and *optimality*

## What is the problem?

- 1 **control**
  - limited ways of designing/influencing structures
- 2 **reliability**
  - final structure hard to predict, high failure rate, slow
- 3 **path dependence**
  - system develops a memory, not irreversible, gets 'trapped'

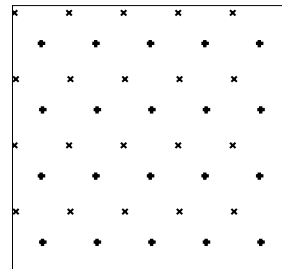
## Example: Self-wiring of networks

- **agent-based model:** indirect communication
  - two different kind of information, local access, limited 'lifetime'
  - combine *exploration* and *exploitation* strategies

- **task:** connect a set of “unknown” nodes **without** external guidance
- self-organized networks: adaptivity, self-repairing

■ Simulation 1

■ Simulation 2



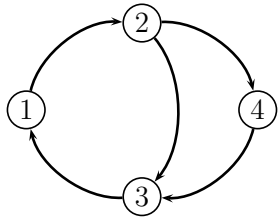
## Getting social? – More problems ahead ...

*Social context: layer that adds new conditions and feedback loops to self-organization*

- 4 **Costs vs benefits of communication**
  - interaction is costly, has to pay off
  - strategic decision: cooperation vs defection (free riding)
- 5 **Social herding**
  - agents compensate incomplete information by imitation
  - consensus finding (e.g. share tasks, labor division) takes long
- 6 **Homophily**
  - interacting agents become more similar  $\Rightarrow$  'in-group', peer pressure
  - restricts options for future communication

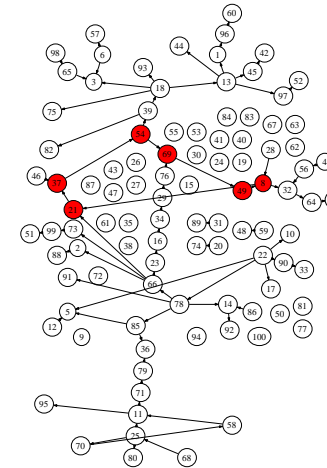
## Example: Access to other's knowledge

- agent's (device) information value  $x_i$  depends on others
  - sharing of information: *act of cooperation*, indirect *reciprocity*



$$\frac{dx_i}{dt} = \sum_{j=1}^N A_{ij} x_j$$

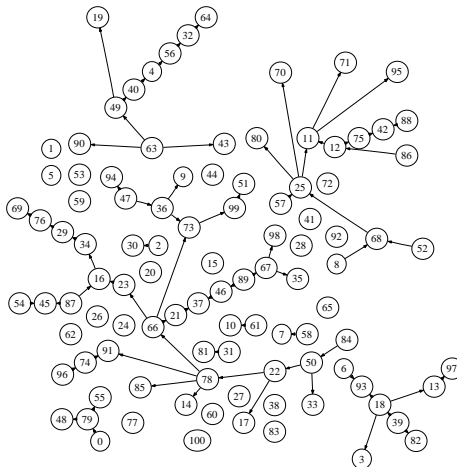
- agents have an average number of connections at no costs
- two time scales*:
  - agents adjust (fast), network dynamics (slow)
- assumption*: extremal dynamics  $\Rightarrow$  minimum performance threshold
  - agents with bad performance disappear from the system
  - a new agent with random connections is added to the system



t=973

A. Seufert, F.S., Int. J. Modern Physics C, vol. 18, no. 10 (2007)

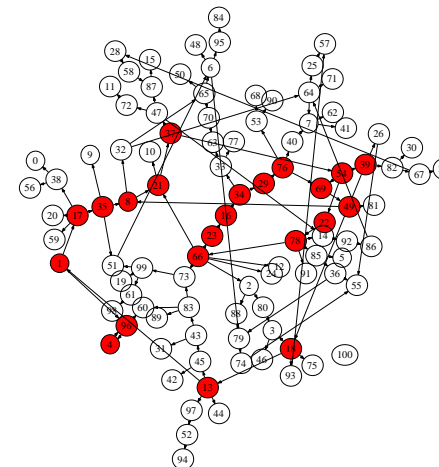
## Results of computer simulations – no costs for links



t=800

A. Seufert, F.S., Int. J. Modern Physics C, vol. 18, no. 10 (2007)

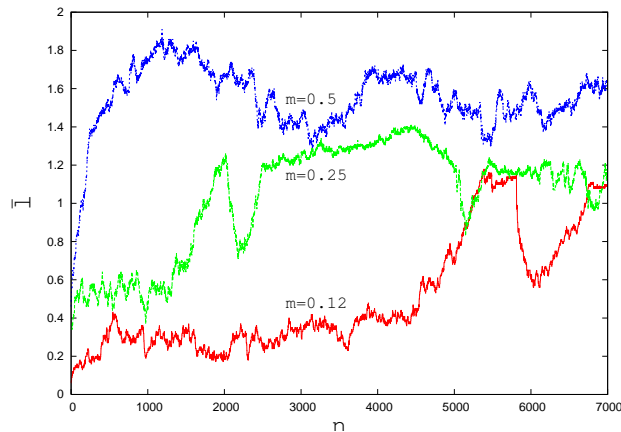
- emergence of cycles of cooperating agents  $\Rightarrow$  *indirect reciprocity*
  - core of *cooperative* agents, and a *parasitic* periphery



t=1290

A. Seufert, F.S., Int. J. Modern Physics C, vol. 18, no. 10 (2007)

## Average connection as performance measure



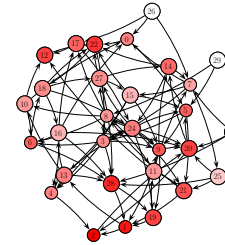
- robustness of network against shocks: *crashes and recovery*

A. Seufert, F.S., Int. J. Modern Physics C, vol. 18, no. 10 (2007)

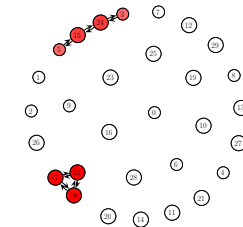
## Case 1: indirect Reciprocity, linear benefit, squared costs

- agent  $i$  with time horizon  $T$ :
  - random unilateral link creation, optimal unilateral link deletion
  - accepted, if knowledge stock  $x_i$  increased

$t=0$



$t=2.000$



- initial links break down in favour of few bilateral cooperations
- free-riders get isolated

## The message: No costs – High vulnerability

- links are created at **no cost**
  - agents (!) do not optimize
- role of core: **boosts knowledge production**
  - indirect reciprocity
- role of periphery: **“spare for selection”**
  - agents are sustained because it is not costly
- optimization on the systems level
  - removing less performing agents **makes the system vulnerable**

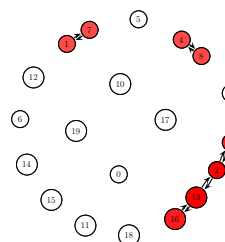
## Next step: Costly interaction $\Rightarrow$ Strategic decision

- costs for **maintenance** of connections
- exploration costs** (search for partners)
- transaction costs** (costs for interaction): share information
- friction** from differences in 'protocols', 'standards' ...

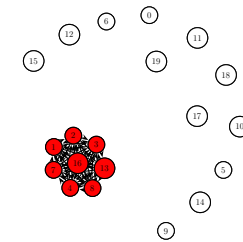
## Case 2: direct reciprocity, linear benefit, squared costs

- agents  $i$  and  $j$  with time horizon  $T$ :
  - random bilateral link creation, optimal bilateral link deletion
  - accepted, if both knowledge stocks  $x_i$  and  $x_j$  increased

$t=0$



$t=1.000$



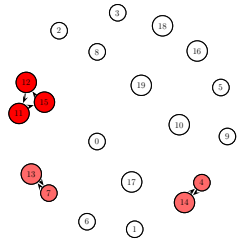
- initially connected agents evolve towards fully connected network
- initially isolated agents have nothing to contribute

### Case 3: ind. reciprocity, weighted linear benefit, squared costs

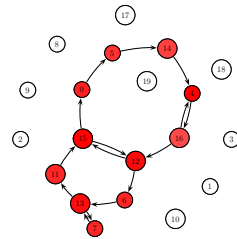
$$\frac{dx_i}{dt} = -dx_i + b \sum_{j=1}^n a_{ji} x_j + b_{\text{ext}} \sum_{j=1}^n w_{ji} x_j - c \sum_{j=1}^n a_{ij} x_i^2$$

- externalities: higher weights to
  - links providing shorter paths (Jackson, Watts 2002)
  - links contributing to cycles  $\Rightarrow$  feedback on knowledge production

t=500



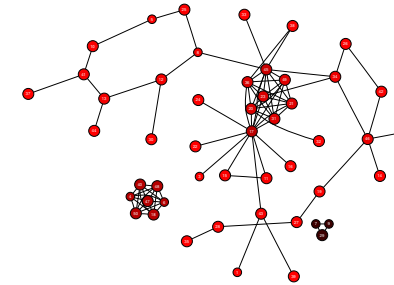
t=500



- cyclic externalities support emergence of indirect reciprocity

### Example: Equilibrium network for $\alpha = 0.0$

- heterogeneous degree distribution (hubs), giant component
- high severance cost prevent agents from further deleting links
- pairwise stability  $\neq$  efficiency (suboptimal solution)



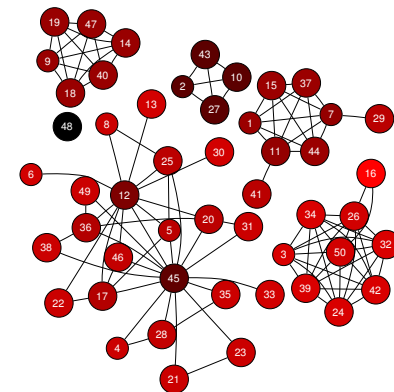
$n = 50, c = 0.15$ , darker colours  $\rightarrow$  higher profits

### The costs for breaking up

- agent's utility:  $u_i = \lambda_{PF} - cd_i$ , initialization: empty graph
- quasi-equilibrium: fast knowledge growth with fixed **A**
- perturbation of network: pair of agents  $(i, j)$  is selected at random
  - link  $ij \notin E(G)$  is created if
    - either  $u_i$  or  $u_j$  is increased and none of  $u_i$  and  $u_j$  is decreased (incremental improvement)
  - link  $ij \in E(G)$  is deleted if
    - at least one agent gains from the change (asymmetry!)  
link deletion involves severance cost:  $v(\alpha, c) = (1 - \alpha)c$  with  $\alpha = c'/c$   
 $\alpha \in [0, 1]$ :  $\alpha = 0$ : full loss of investment,  $\alpha = 1$ : no loss
- stop if network is pairwise stable, otherwise go to 1

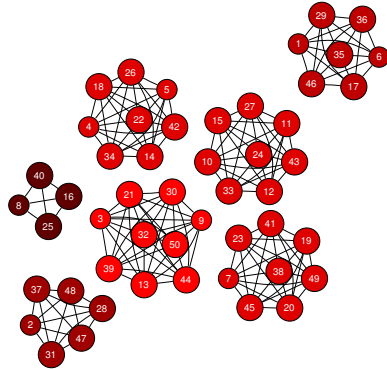
### Example: Equilibrium network for $\alpha = 0.2$

- stronger clustering, disconnected components



## Example: Equilibrium network for $\alpha = 1.0$

- the smaller severance costs (loss after reconfiguration), the larger the tendency to form disconnected cliques (fully connected groups)



## The message: High costs – Less optimality

- linear/nonlinear cost functions  $\Rightarrow$  **limits** for connected networks
- multiple equilibria: many stable, but **inefficient** equilibrium networks
- breakdown** of indirect reciprocity: only direct interactions

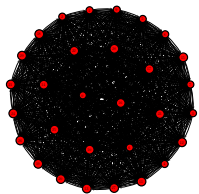
## Next step: Include group effects

- information sharing not beneficial for single agent, but for the group
- social relationships: **trust, similarity**  $\Rightarrow$  enhance cooperation

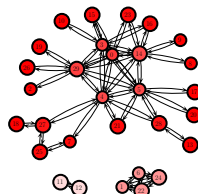
Compare to: No costs – High vulnerability

## Simulations: Growing Networks with $\alpha = 1$

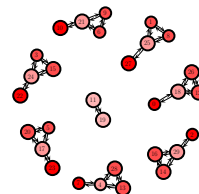
- initial setting: empty graph  $\Rightarrow$  final setting: equilibrium network
- $0 < c < 0.5$ : fully connected graph is efficient network



$c = 0.01$



$c = 0.2$



$c = 0.5$

- equilibrium networks more sparse and clustered with increasing  $c$
- inefficient equilibrium networks are reached
  - for given cost, *multiple equilibria* exist
  - equilibrium network is *path dependent* (stochastic influences)

## Convergence toward shared characteristics

agent  $i$ : 'device' with certain characteristics  $x_i(t) \in [0, \dots, 1]$

- assumption:** interaction is easier with same characteristics

- benefit:  $b = \text{const.}$ , costs:  $\sim \Delta x$

$$u_i(t) = \sum_j b - c |x_i - x_j|$$

- assumption:** interaction  $ij$  occurs only iff  $u_{ij}(t) > u_{\text{thr}}$

$$|x_i - x_j| < \varepsilon = (b - u_{\text{thr}})/c$$

- possibility of interaction depends on 'flexibility'  $\varepsilon$
- bounded confidence model (Deffuant *et al.*, 2000)

- assumption:** interaction leads to more similar behavior

$$x_i(t+1) = x_i(t) + \mu [x_j(t) - x_i(t)]$$

$$x_j(t+1) = x_j(t) + \mu [x_i(t) - x_j(t)]$$

- $\mu = 0.5$ : both agents adopt the 'mean' behavior

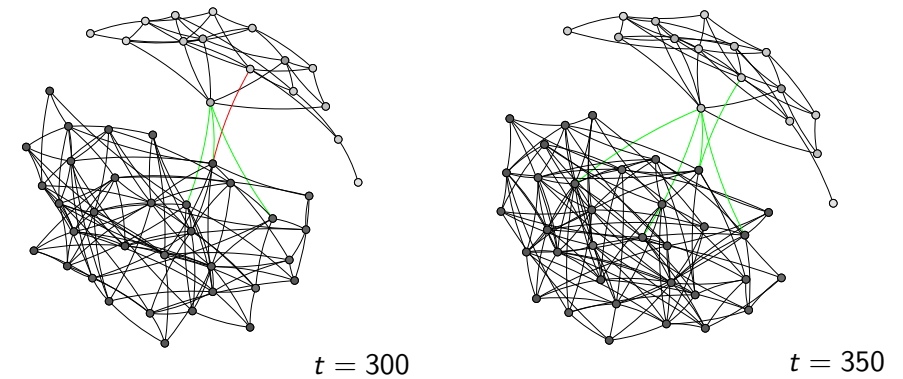


## Influence of emerging in-groups

- interacting agents added to each other's in-group  $I_i$  and  $I_j$ 
  - partnership relations from past interactions
- influence of *emerging in-groups* on agent's  $i$  behaviour  $x_i$ ?
  - effective behaviour  $x_i^{\text{eff}}$  considers mean in-group behaviour  $x_i^j$ 

$$x_i^{\text{eff}} = (1 - \alpha_i)x_i + \alpha_i x_i^j$$
  - group influence  $\alpha_i$  increases with group size
- permanent influence of in-group on interaction:  $|x_i^{\text{eff}} - x_j^{\text{eff}}| < \varepsilon$ 
  - search for new partners is costly  $\rightarrow$  keep past partners
  - keep behavior close to past partners to allow further interaction

## Group Influence: two nearly separated components...



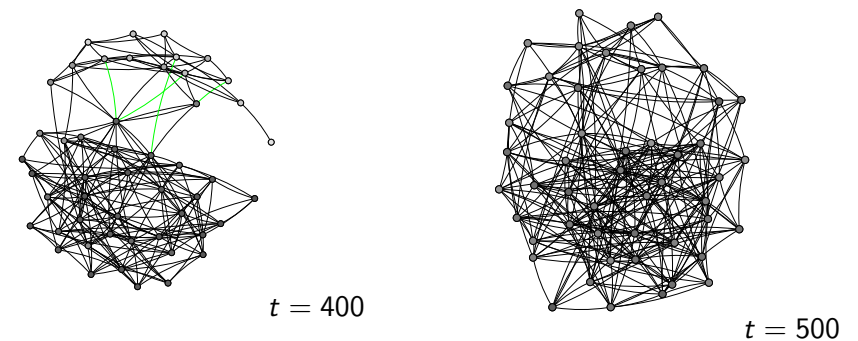
- 50 agents,  $\varepsilon = 0.3$ 
  - green link: agents would not interact without group influence
  - red link: agents would not interact anymore

## Co-evolution of interaction network and characteristics

- randomly choose agents  $i, j$  at time  $t$
- 1 **link dynamics** (considers existing in-group)
  - $\Delta x^{\text{eff}}(t) < \varepsilon \Rightarrow$  link formation (interaction)
  - $\Delta x^{\text{eff}}(t) > \varepsilon \Rightarrow$  no link created or *existing link is removed*
- 2 **dynamics in individual behavior** (considers  $x_i(t), x_j(t)$ )
  - interacting agents become more similar
- 3 **adjustment of effective behavior**
  - agent  $i, j$ :  $x_i \rightarrow x_i^{\text{eff}}, x_j \rightarrow x_j^{\text{eff}}$
  - in-groups of  $i$  and  $j$ :  $x_i^{\text{eff}}, x_j^{\text{eff}}$  affected by changed  $x^{I_i(t)}, x^{I_j(t)}$

**Result:** feedback between agents' behavior and their in-group structure  $\Rightarrow$  Computer simulation

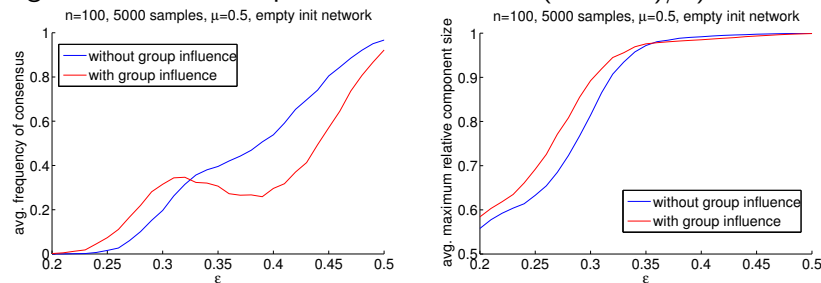
## ... finally united



- group influence (on average and a large range of  $\varepsilon$ )
  - fosters coalescence of components
  - increases maximum component size
- $\Rightarrow$  consensus toward a common characteristics

## Influence of interaction costs on consensus?

large costs  $\Leftrightarrow$  small 'open-mindedness'  $\varepsilon = (b - u^{thr})/c$



- large costs ( $0 < \varepsilon < 1/3$ )
  - in-group influence increases probability to reach consensus
  - size of largest component increases
- small costs ( $1/3 < \varepsilon < 1/2$ )
  - with in-group influence, consensus becomes less probable
  - but size of largest component is not affected by in-group influence

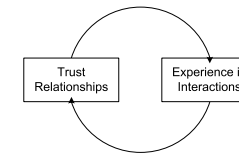
- **utility** increases if recommendation  $r_k$  matches preference  $v_i$

$$u_i(t) = b - c |v_i - r_k|$$

- $r_k$ : chosen out of different recommendations obtained through *different 'social paths'* with specific weights  $\hat{T}_{a_i, \dots, a_k}$
- decision process

$$P \sim \frac{\exp(\beta \hat{T}_{a_i, \dots, a_k})}{\sum_R \exp(\beta \hat{T}_{a_i, \dots, a_i})}$$

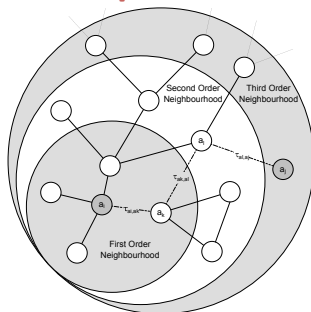
- "trust": weights reliability of former recommendations
- trust relationships *evolve through feedback* from experiences



## The message: Costs from being different

- **ambiguous effect** of group influence
  - can enhance, but also reduce performance
- general problem of **systemic risk**: heterogeneity
  - faster failure spreading for homogeneous agents

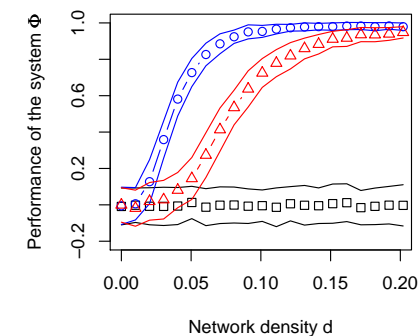
## Next step: Trustful relationships



- use *existing social network* of agents to inquire recommendations for objects
- design *artificial algorithm* to update weights of links between neighboring agents dependent on success ( $\rightarrow$  'trust')
- *reach* distributed knowledge, *filter* incoming information

## Critical Network Density

- special case: only two preferences  $\{-1, +1\}$
- social network: directed random graph with density  $p$
- complete search: return responses more than once
- performance measure: aggregated utility of agents



(blue):  $N_c = 10$ , (red):  $N_c = 50 \rightarrow$  sparseness of knowledge, (black): frequency based recommendation



## Social networks evolving based on trust

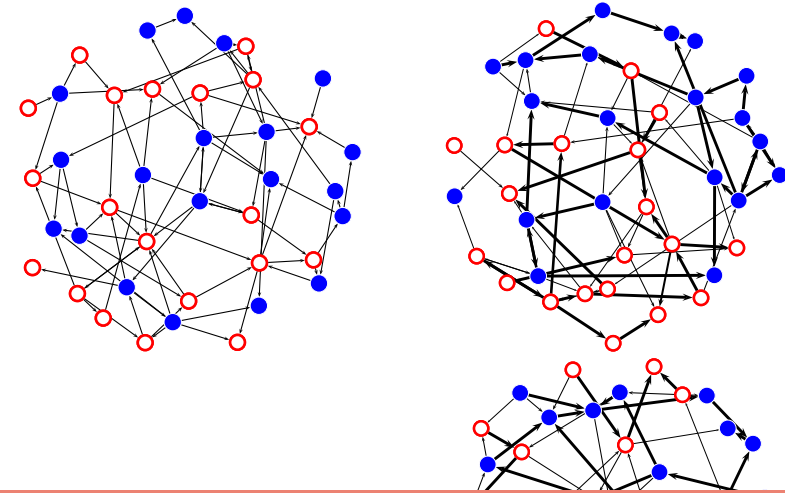
- special case: only two preferences  $\{-1, +1\}$
- real networks are *not fixed*, but *evolve*
- assumption: keep *trustworthy* and rewire *untrustworthy* links

$$P_{\text{rewire}} = 1 - T_{a_i, a_j}; \quad P_{\text{keep}} = T_{a_i, a_j}$$

- *random rewiring mechanism*:
  - role of  $\beta$ : exploratory behavior of agents

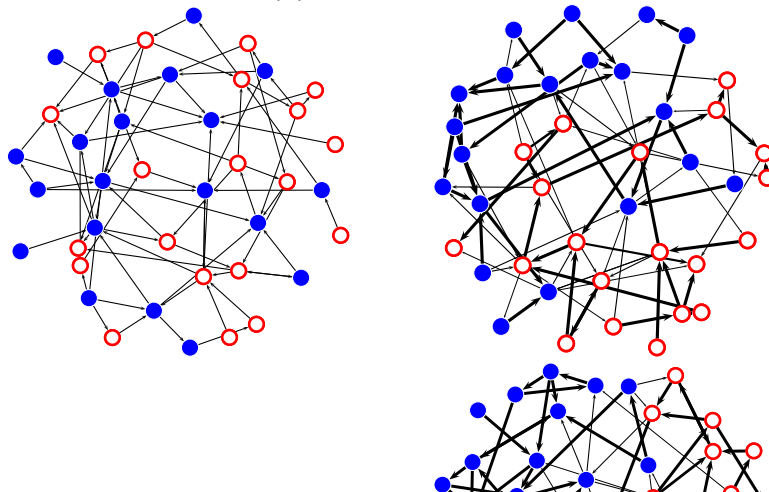
## Interconnected Clusters

(a)  $t = t_{\text{start}}, \beta = 1$       (b)  $t = \dots, \beta = 1$   
(b)  $t = t_{\text{end}}, \beta = 1$



## Disconnected Clusters

(a)  $t = t_{\text{start}}, \beta = 0$       (b)  $t = \dots, \beta = 0$   
(b)  $t = t_{\text{end}}, \beta = 0$



## The message: Build trustful links

- **What is the difference?**
  - *consensus example*: agents change characteristics (agents adapt)
  - *trust based network*: agents weight links (network adapts)
- **What is the advantage?**
  - *cost-benefit analysis*: agents do not 'learn', rational decisions
  - *trust-based network*: agents keep links, but weight them
- **What is the problem?**
  - no guarantee that *suboptimal solutions* are improved
  - mutations introduce new configurations, but also *risk to fail*

## Conclusions

- 1 **Self-organisation works**  $\Rightarrow$  adaptive structures
  - *problems*: control, reliability, path dependence
- 2 **Socio-aware agents**
  - *strategic decisions* based on costs and benefits
  - *local optimization*: trapped in suboptimal configurations
  - *agent adaptation* to ‘in-group’ (previous interactions)
  - *link adaptation*: weights assigned based on experience (“trust”)
- 3 **Social mechanisms**: new possibilities for designing interactions
  - “there is no free lunch”: social means not “better”

## This research overview is based on the publications:

- F. Schweitzer: *Brownian Agents and Active Particles. On the Emergence of Complex Behavior in the Natural and Social Sciences*, Berlin: Springer 2003
- F. Schweitzer, B. Tilch: Self-Assembling of Networks in an Agent-Based Model, *Physical Review E* 66 (2002) 026113 (1-9)
- F. Schweitzer, K. Lao, F. Family: Active Random Walkers Simulate Trunk Trail Formation by Ants, *BioSystems* 41 (1997) 153-166
- A. Seufert, F. Schweitzer: Aggregate Dynamics in an Evolutionary Network Model, *International Journal of Modern Physics C*, vol. 18, no. 10 (2007) pp. 1659-1674
- P. Groeber, F. Schweitzer, K. Press: How groups can foster consensus: The case of local cultures, *J. Artificial Societies and Social Simulations* vol. 12, no. 2/ 4 (2009)
- M. D. König, S. Battiston, M. Napoletano, F. Schweitzer: Recombinant Knowledge and the Evolution of Innovation Networks, *Journal of Economic Behavior and Organization*, vol. 79, no. 3 (2011) pp. 145-164
- M. D. König, S. Battiston, M. Napoletano, F. Schweitzer: On Algebraic Graph Theory and the Dynamics of Innovation Networks, *Networks and Heterogeneous Media* vol. 3, no. 2 (2008) pp. 201-219
- M. D. König, S. Battiston, F. Schweitzer: Modeling Evolving Innovation Networks, in: *Innovation Networks - New Approaches in Modeling and Analyzing* (Eds. A. Pyka, A. Scharnhorst), Heidelberg: Springer (2009) pp. 187-267
- F. E. Walter, S. Battiston, F. Schweitzer: A Model of a Trust-Based Recommendation System on a Social Network, *Journal of Autonomous Agents and Multi-Agent Systems*, vol. 16, no. 1 (2008) pp. 57-74
- **further publications/downloads**: <http://www.sg.ethz.ch/publications/> and [http://arxiv.org/a/schweitzer\\_f\\_1](http://arxiv.org/a/schweitzer_f_1)